## Introduction to calculation sheets

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## Calculations Sheets

- MS Office - Excel
- Libre Office - Calc
- Google - Sheets


## Numerical models

The aim: how to investigate such numerical models using calculation sheet!

Newton's law of cooling

$$
\begin{equation*}
T(t)=T_{0}+\left(T_{p}-T_{0}\right) e^{-k t} \tag{1}
\end{equation*}
$$

where $T_{0}$ is the ambient temperature, $T_{p}$ is the initial temperature, $k$ is the constant, $t$ is the time.

Rumor spread in social network

$$
\begin{equation*}
n(t)=N\left(1-e^{-k t}\right) \tag{2}
\end{equation*}
$$

where $N$ is the population, $k$ is the constant, $t$ is the time

## Operators

## Arithmetic operators

+ (plus sign), - (minus sign), * (asterisk), / (forward slash), \% (percent sign), $\bigwedge$ (caret)


## Comparison operators

$=($ equal sign $),>($ greater than sign),$<$ (less than sign), $>=$ (greater than or equal to sign), $<=$ (less than or equal to sign), $<>$ (not equal to sign)

## Formulas



## Reference operators

Combine ranges of cells for calculations with the following operators.

| Reference operator | Meaning | Example |
| :--- | :--- | :--- |
| $:$ (colon) | Range operator | B5:B15 |
| , (comma) | Union operator | SUM(B5:B15,D5:D15) |
| (space) | Intersection operator | B7:D7 C6:C8 |

## Functions examples

To investigate the numerical models (1) and (2) the functions are required!!!

- =SLOPE()

Calculates the slope of the line resulting from linear regression of a dataset.

- = INTERCEPT()

Calculates the $y$-value at which the line resulting from linear regression of a dataset will intersect the $y$-axis ( $x=0$ ).

- = LINEST()

Given partial data about a linear trend, calculates various parameters about the ideal linear trend using the least-squares method.

## In practice - linear model

i) how to build a dataset automatically, ii) how to use the relative and the absolute address of the cell

## Ex. 1

The data in the Table present the velocity of an object in different periods of time. Calculate the acceleration (a) of the object and its initial velocity $V_{0}$. Hint: $V=V_{0}+a t$

Table: The velocity of an object in different periods of time

| time $(\mathrm{sec})$. | 2 | 4 | 6 | 8 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| velocity $(\mathrm{m} / \mathrm{s})$ | 22 | 42 | 62 | 80 | 100 |

## In practice - "squared" model

## Ex. 2

The data in the Table present the results of an experiment of a ball falling down in the oil. Calculate the acceleration - a. Hint: $s=\frac{1}{2} a t^{2}$.

| time $(\mathrm{sec})$ | distance $(\mathrm{cm})$ |
| :--- | :--- |
| 0 | 0 |
| 0.05 | 0.3 |
| 0.1 | 1.25 |
| 0.15 | 1.4 |
| 0.2 | 4.6 |
| 0.25 | 7.1 |
| 0.3 | 10 |
| 0.35 | 13.7 |
| 0.4 | 18.1 |
| 0.45 | 22.6 |
| 0.5 | 28 |

## In practice - "exponential" model

Ex. 3
How to consider "exponential" model?

$$
\begin{equation*}
N=C \exp (B t) \tag{3}
\end{equation*}
$$

Calculate $C$ and $B$ parameters for the following data:

| Time t(sec.) | 2.0 | 4.0 | 6.0 | 8.0 | 10.0 |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Population N | 2500 | 6000 | 15000 | 35000 | 90000 |

